

## Introduction

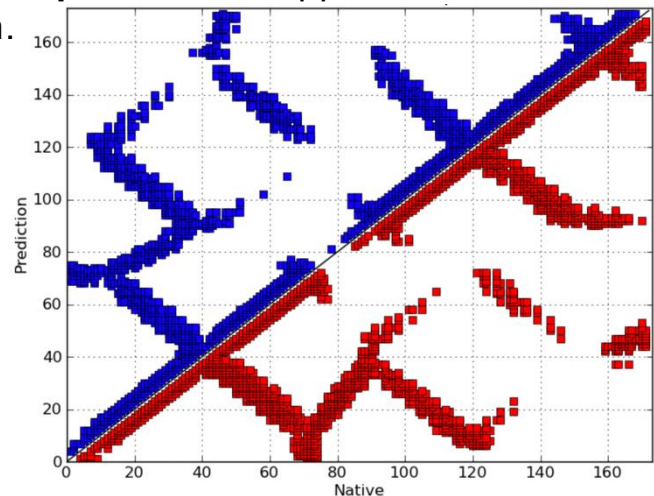
In recent times, the use of computational prediction and modelling in the study of biological macromolecules has been gaining traction to affordably fill gaps in experimental data. Presented here is a coupling of two leading coarse-grained models of protein and DNA respectively, implemented within the LAMMPS MD framework [1].

## AWSEM-MD

AWSEM [2] adopts a **three bead per residue** approach to allow de-novo protein structure prediction.

It combines the use of:

- **Physical potentials** such as a harmonic backbone and hydrogen bonding.
- **Direct and water-mediated interactions.**
- **Structural biases** such as fragment memory, which are sequence-dependent.

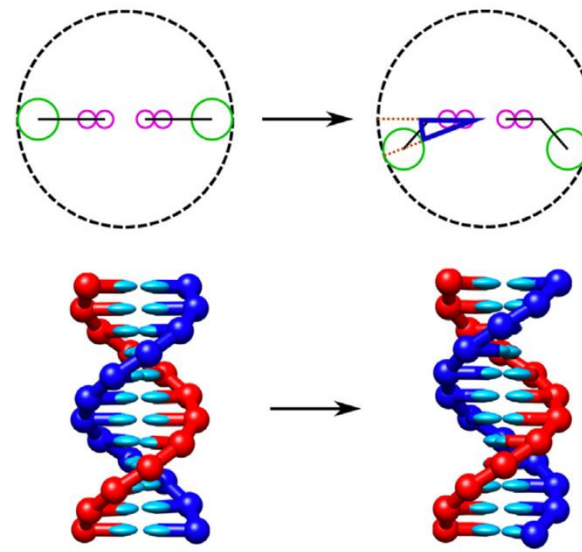


Predicted contact map from AWSEM showing close agreement to native.

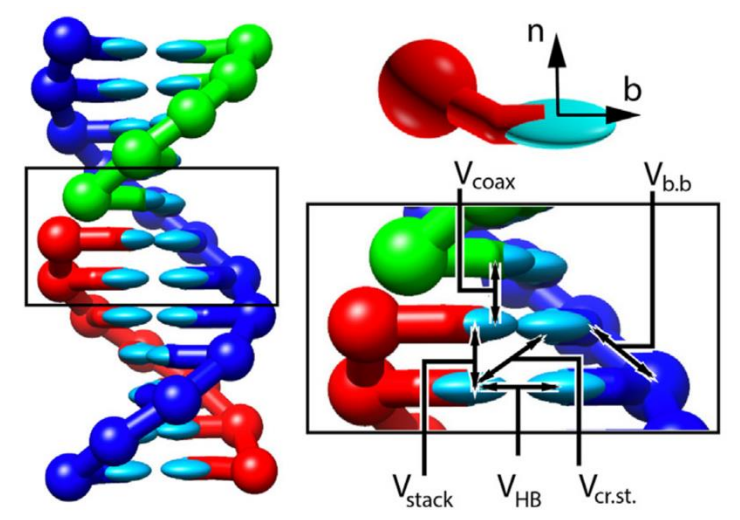
## oxDNA Model

The oxDNA(2) model [3] consists of **rigid nucleotides** with **three interaction sites**. The model encompasses:

- A **FENE backbone**.
- **Hydrogen bonding potentials.**



Altering backbone bonding site from oxDNA1 reproduces the major and minor grooves in oxDNA2.



Overview of bonded and pair interactions in oxDNA2.

- **Stacking potentials** to model the tendency to form coplanar and cross-planar stacks.
- **Excluded volume** to disallow atom overlapping.
- Offset backbone positioning to recreate **major-minor grooving**.
- **Debye-Hückel electrostatics.**

## The Protein-DNA Potential

For a pair  $\alpha\beta$ , the excluded-volume interaction takes form of a **WCA potential**:

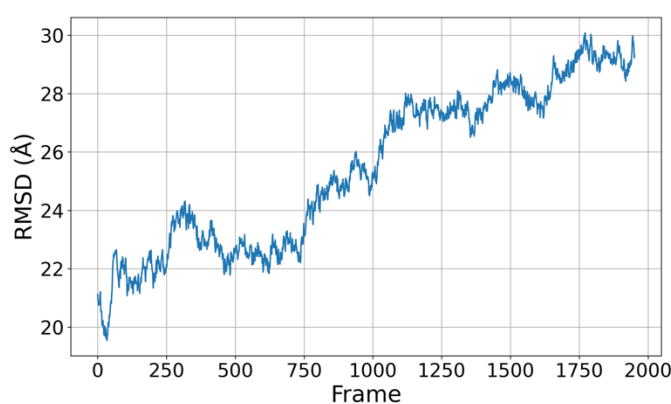
$$U_{\alpha\beta}^{\text{WCA}} = \begin{cases} 4\epsilon_{\alpha\beta} \left[ \left( \frac{\sigma_{\alpha\beta}}{r_{\alpha\beta}} \right)^9 - \left( \frac{\sigma_{\alpha\beta}}{r_{\alpha\beta}} \right)^6 \right] - U_{\alpha\beta}^{\text{LJ}}(r_{\alpha\beta}^m; \sigma_{\alpha\beta}, \epsilon_{\alpha\beta}), & r_{\alpha\beta} \leq r_{\alpha\beta}^{cLJ} \quad \epsilon_{\alpha\beta} = 0.03 \text{ kcal/mol} \\ 0, & r_{\alpha\beta} > r_{\alpha\beta}^{cLJ} \quad \sigma_{\alpha\beta} = 5.7 \text{ \AA} \end{cases}$$

Protein-DNA electrostatics are modeled through a **Debye-Hückel potential** to emulate screening:

$$U_{\alpha\beta}^{\text{DH}} = \begin{cases} C \cdot q_{\alpha\beta} \frac{\exp(-\kappa r_{\alpha\beta})}{r_{\alpha\beta}}, & r_{\alpha\beta} \leq r_{\alpha\beta}^{cDH} \\ 0, & r_{\alpha\beta} > r_{\alpha\beta}^{cDH} \end{cases}$$

$$C = \frac{e^2}{4\pi\epsilon_0\epsilon_r}, \quad \kappa = \lambda_D(T, I)^{-1} = \sqrt{\frac{\epsilon_0\epsilon_r k_B T}{2N_A e^2 I}}$$

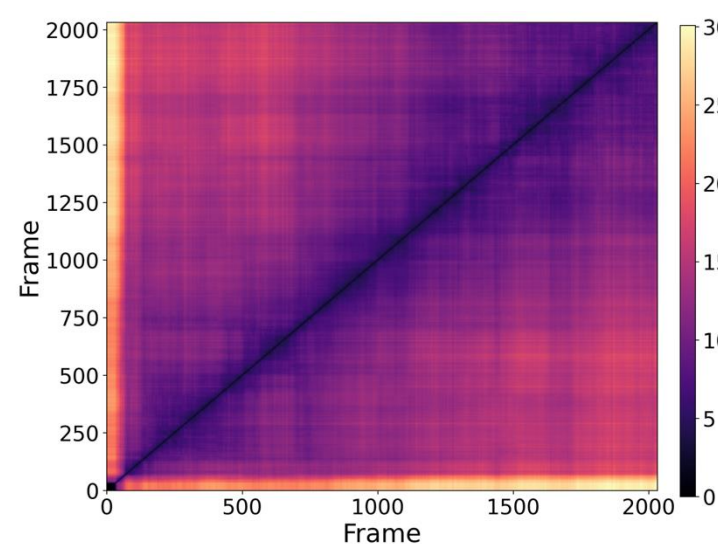
Initially, unit charges were used. Protein charge lies on the  $C_{\beta}$ -backbone atom and is dependent on amino acid. DNA charge lies on the backbone interaction site and is negative.



RMSD time series of model output at 300K. 1 frame = 1000 timesteps.

## Sampling Methodology

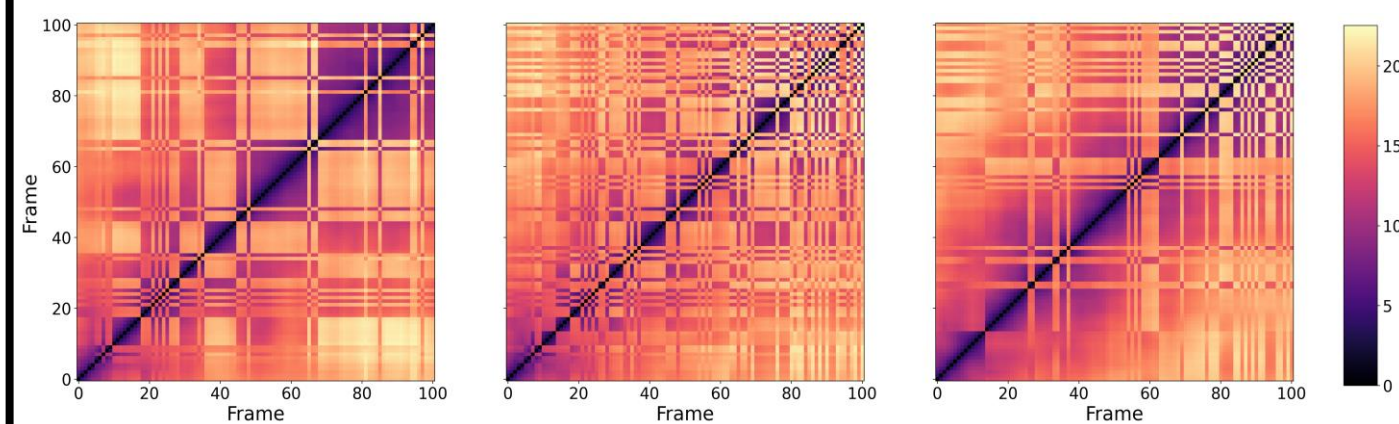
Due to having an abundance of experimental data and limited sequence specificity in structure formation, nucleosome structures were chosen for initial training of the model. However, the inherent stability of these structures lead to poor sampling efficiency. To improve this, Replica Exchange Molecular Dynamics (REMD) was employed.



All-to-all RMSD, showcasing stability for ~2000 frames after initial minimization.

Through estimating the integrated autocorrelation time of the RMSD, an efficient workflow was developed to deduce the optimal equilibration time by maximising the remaining number of statistically independent samples while minimising the number of frames to discard.

$$\tau_{\text{int}} = 1 + 2 \sum_{t=1}^N \left( 1 - \frac{t}{N} \right) \hat{c}(t)$$



All-to-all RMSDs for temperatures 293.15K, 300K and 306.85K, highlighting the diverse configuration landscape created through REMD.

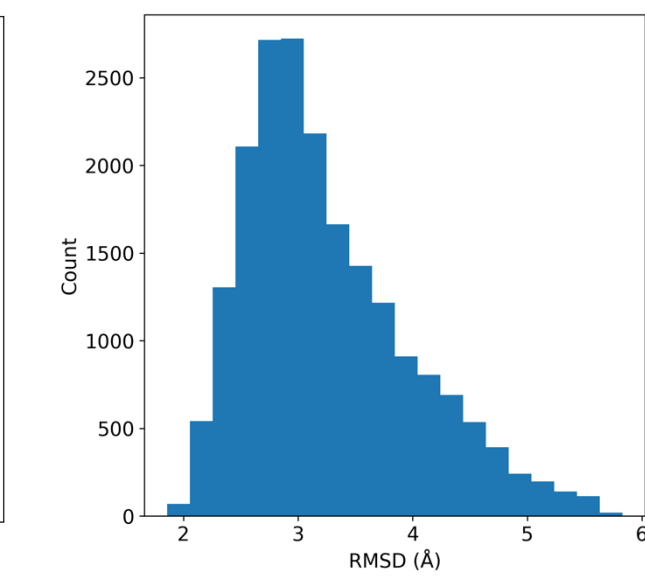
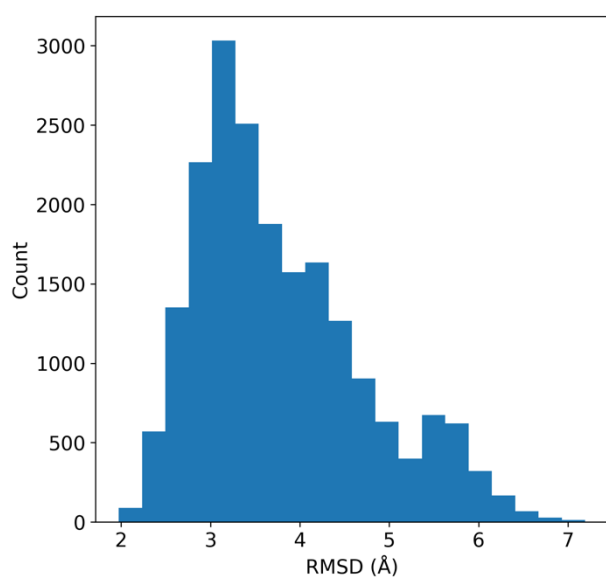
Choosing 5 independent seeds and temperatures in the range  $290 \leq T \leq 310\text{K}$  allows effective sampling of configuration space for a given structure. The success measure used is the average RMSD of the dynamical states (of a subset of atoms) when compared to the reference PDB structure:

$$\text{RMSD} = \sqrt{\frac{1}{N} \sum_{i=1}^N |\mathbf{r}_i - \mathbf{r}_c|^2}$$

## Optimisation

In order to not over-bias toward PDB structure, the function to minimise has a global minima at a nonzero point:

$$S = (\text{RMSD} - T_{\text{RMSD}})^2$$



Histograms of sampled RMSD of region of interest before (left) and after (right) parameter optimisation with a target of 3Å.

Basinhopping [4] with L-BFGS-B was used to iteratively converge on a parameter space with minima corresponding to experimentally viable states.

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